

Experiment No. 2

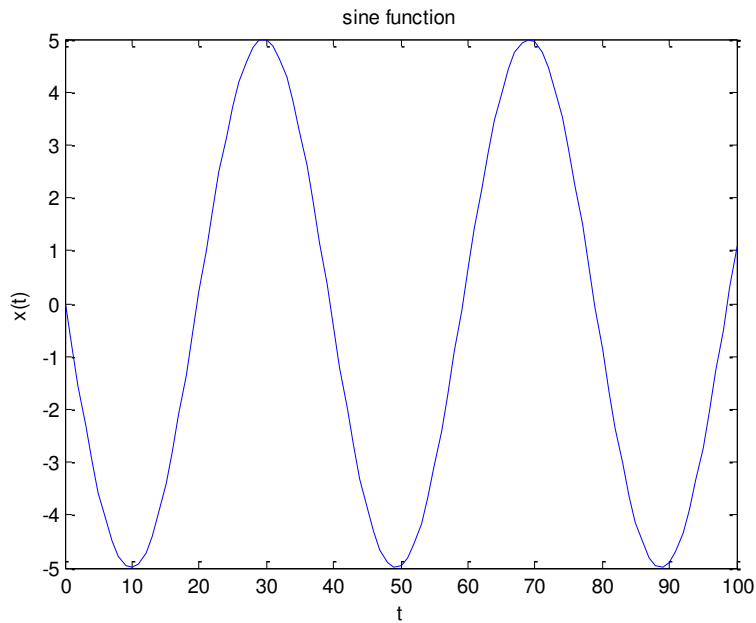
Aim:- (I). Write a Program to plot the following continuous signals:

a) $x(t)=5*\sin(2*\pi*f*t)$, where $f=50\text{Hz}$.

Program:-

```
clc;
t=(0:1:100);
f=50;
x=5*sin(2*3.14*f*t);
plot(t,x);
xlabel('t');
ylabel('x(t)');
title('sine function');
```

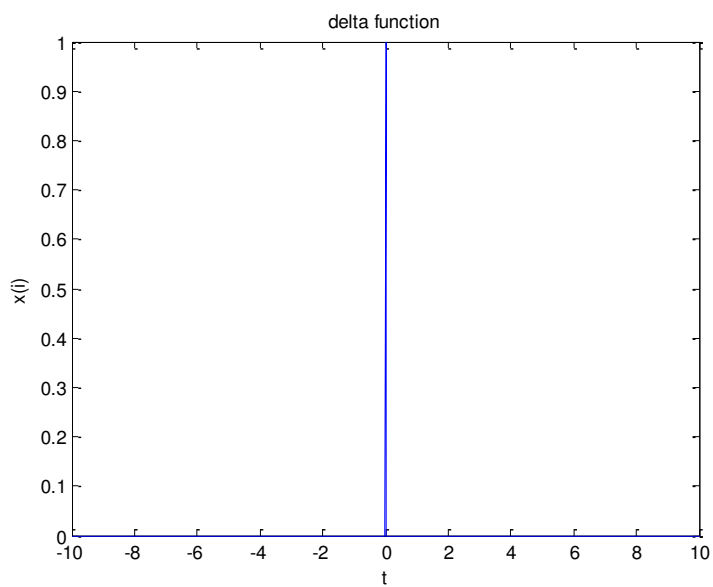
Result:-



(b). $x(t)=\delta(t)$;

```
Program: -   clc;
             t=(-10:0.01:10);
             for i=1:length(t);
             if (t(i)==0)
             x(i)=1;
             else
             x(i)=0;
             end;
             end;
             plot(t,x);
             xlabel('t');
             ylabel('x(i)');
             title('delta function');
```

Result:-



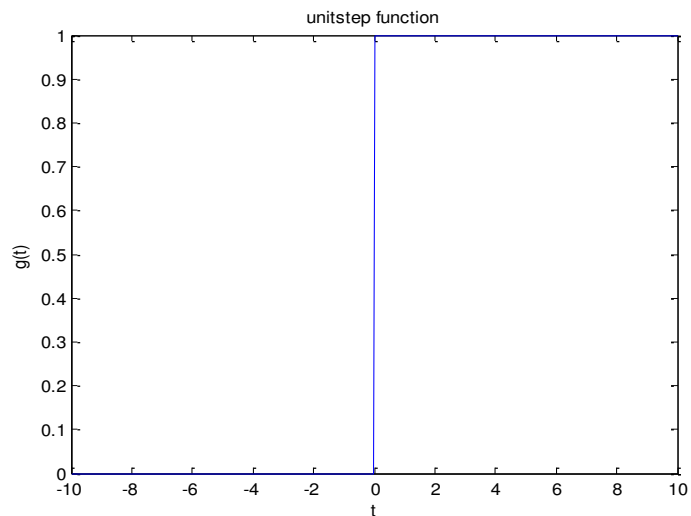
(c). $x(t)=u(t)$

```
Program:-    clc;
             t=(-10:0.01:10);
             for i=1:length(t);
             if (t(i)>=0)
             g(i)=1;
             else
             g(i)=0;
             end;
             end;
             plot(t,g);
             xlabel('t');
             ylabel('g(t)');
             title('unitstep function');
```

OR

```
t1=-2:0.01:0.01;
t2= 0:0.01:2;
y1= 0*t1;
y2= ones(1,length(t2));
t=[t1,t2];
y=[y1,y2];
plot(t,y);
xlabel('t');
ylabel('y');
title('unitstep function');
```

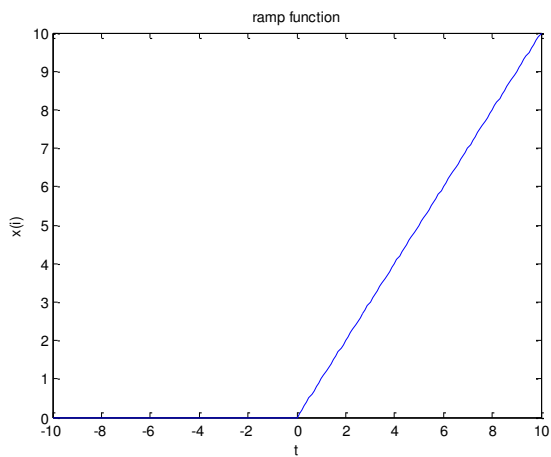
Result:-



d). $x(t)=r(t)$

```
Program:-    t=[-10:1:10]
              For i=1:length(t)
              if(t(i)>=0)
              x(i)=t(i)
              else
              x(i)=0
              end
              end
              plot(t,x)
              xlabel('t')
              ylabel('x(i)')
```

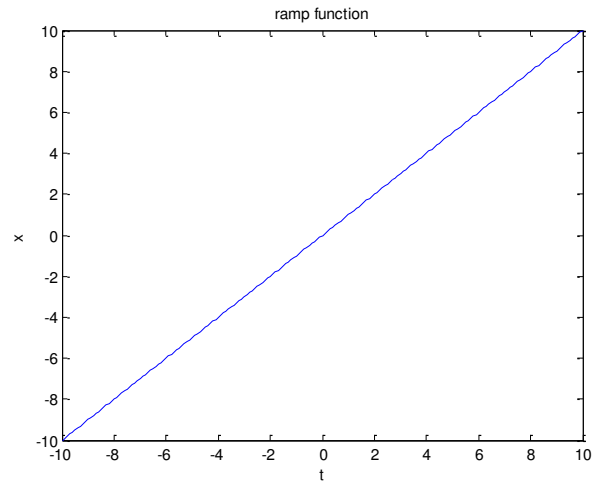
Result:-



OR

```
t=(-10:0.1:10);
x=t;
plot(t,x);
xlabel('t');
ylabel('x');
title('ramp function');
```

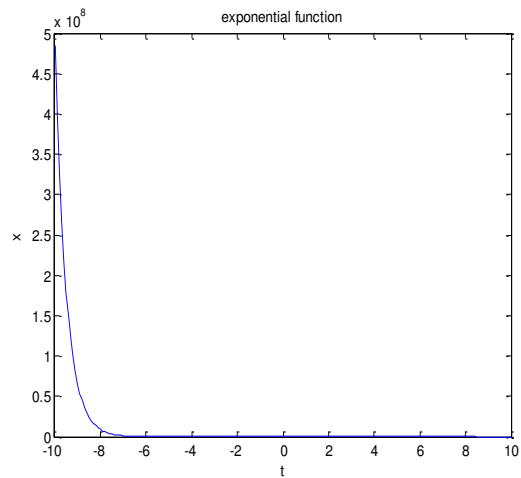
Result:-



e) $x(t)=\exp(-a*t)$

Program:- `clc;
t=(-10:0.1:10);
a=2;
x=exp(-a*t);
plot(t,x);
xlabel('t');
ylabel('x');
title('exponential function')`

Result:-

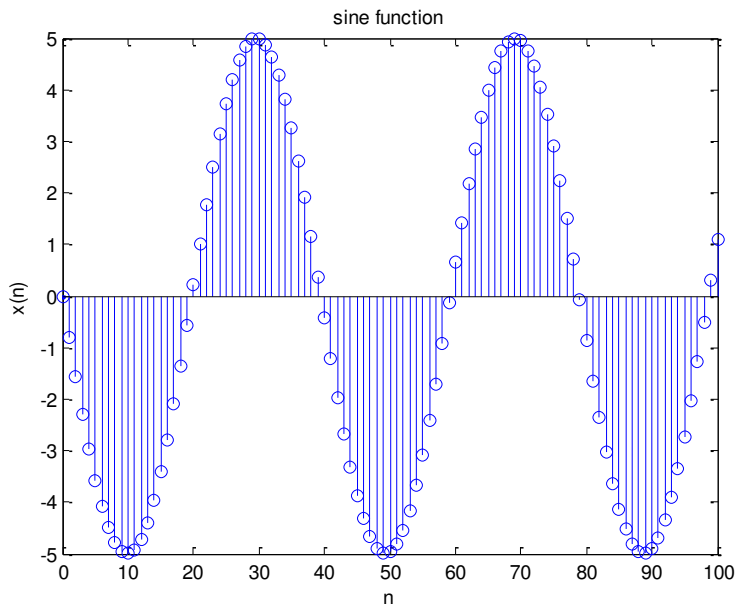


(II) Aim : Write a MATLAB Prg. to plot the following discrete signals:

a) $x(n)=5*\sin(2*\pi*f*n)$, where $f=50\text{Hz}$.

Program:-
clc;
n=(0:1:100);
f=50;
x=5*sin(2*3.14*f*n);
stem(n,x);
xlabel('n');
ylabel('x(n)');
title('sine function');

Result:-



b) $x(n)=\delta(n)$;

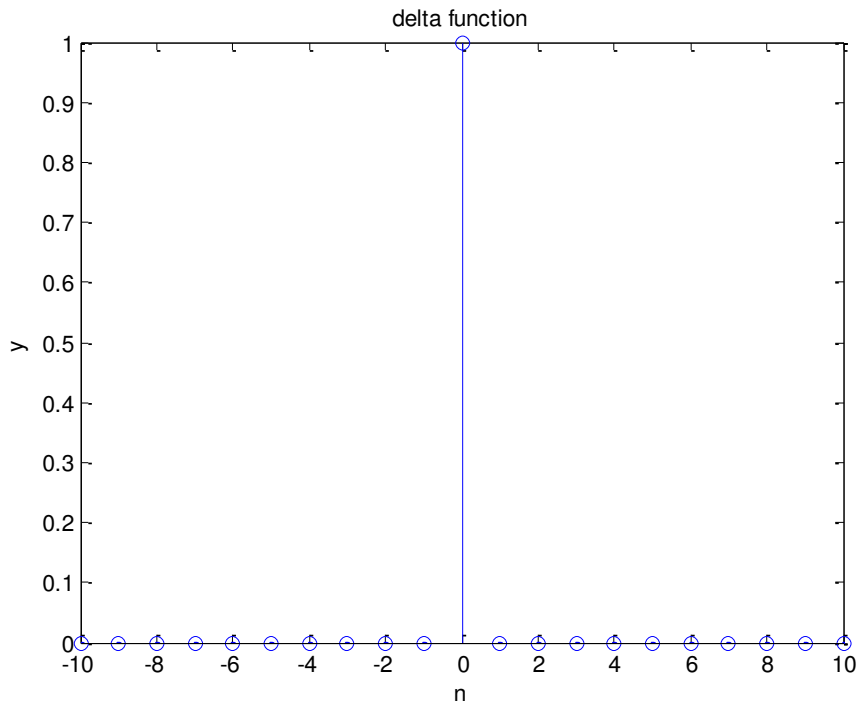
Program:-
n=(-10:10);
for i=1:length(n);
if (n(i)==0)
g(i)=1;
else
g(i)=0;
end;
end;
stem(n,g);
xlabel('n');

```
ylabel('g(i)');  
title('delta function');
```

OR

```
n=-10:10;  
y=(n==0);  
stem(n,y);
```

Result:-



c). $x(n)=u(n)$

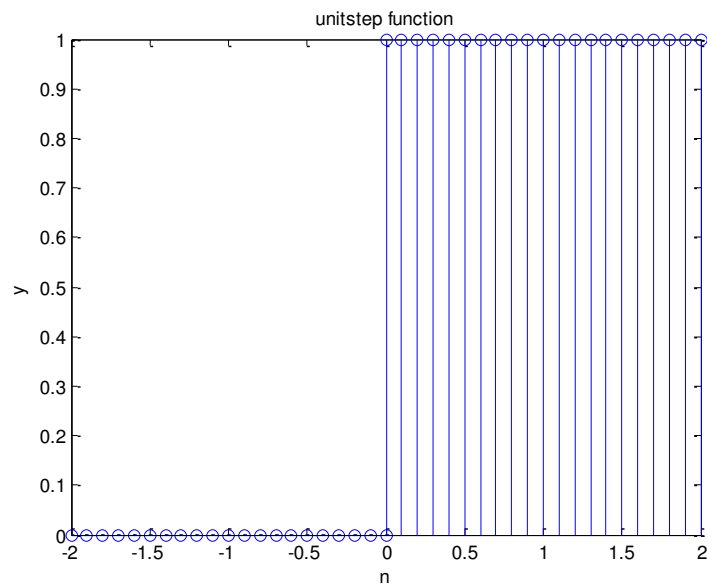
```
Program :-      clc;  
                 n=(-10:0.01:10);  
                 for i=1:length(n);  
                 if (n(i)>=0)  
                   g(i)=1;  
                 else  
                   g(i)=0;  
                 end;  
                 end;  
                 stem(n,g(i));
```

```
xlabel('n');  
ylabel('g(n)');  
title('unitstep function');
```

OR

```
n1=-2:0.1:0.01;  
n2= 0:0.1:2;  
y1= 0*n1;  
y2= ones(1,length(n2));  
n=[n1,n2];  
y=[y1,y2];  
stem(n,y) ;  
xlabel('n');  
ylabel('y');  
title('unitstep function');
```

Result:-



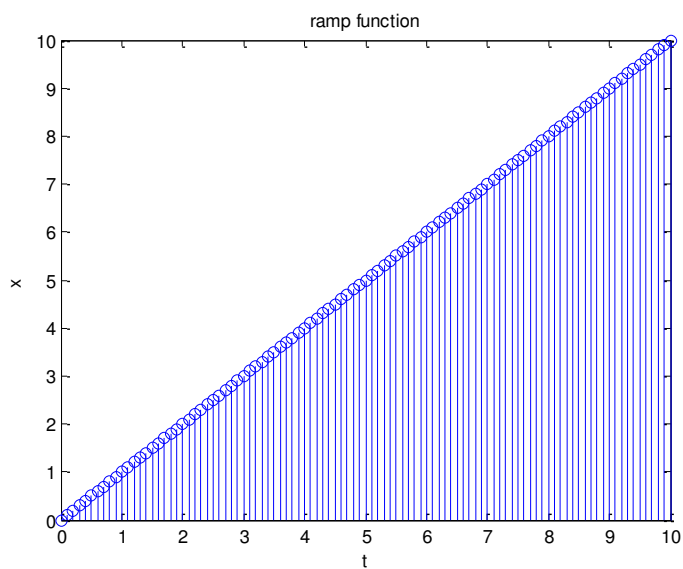
d). $x(n)=r(n)$

```
Program:-      t=[-10:1:10]
               for i=1:length(t)
               if(t(i)>=0)
               x(i)=t(i)
               else
               x(i)=0
               end
               end
               stem(t,x)
               xlabel('t')
               title('ramp function')
```

OR

```
t=(0:0.1:10);
x=t;
stem(t,x);
xlabel('t');
ylabel('x');
title('ramp function');
```

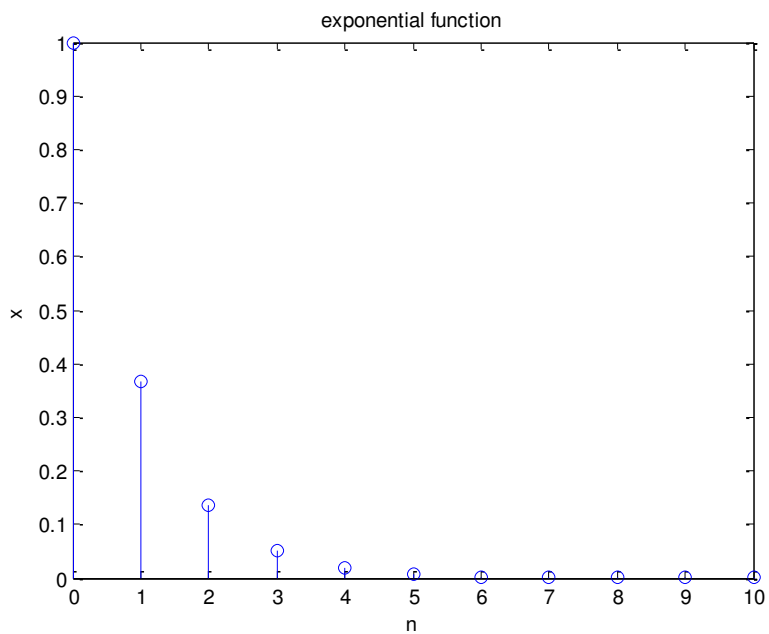
Result:-



e). $x(n)=\exp(-a*n)$

```
Program:-  clc;
           n=(0:10);
           a=1;
           x=exp(-a*n);
           stem(n,x);
           xlabel('n');
           ylabel('x');
           title('exponential function');
```

Result:-



Experiment-3

Aim:- (I). Write MALAB codes for generating and plotting the following combinations of two signals over the range, $-20 < n < 20$.

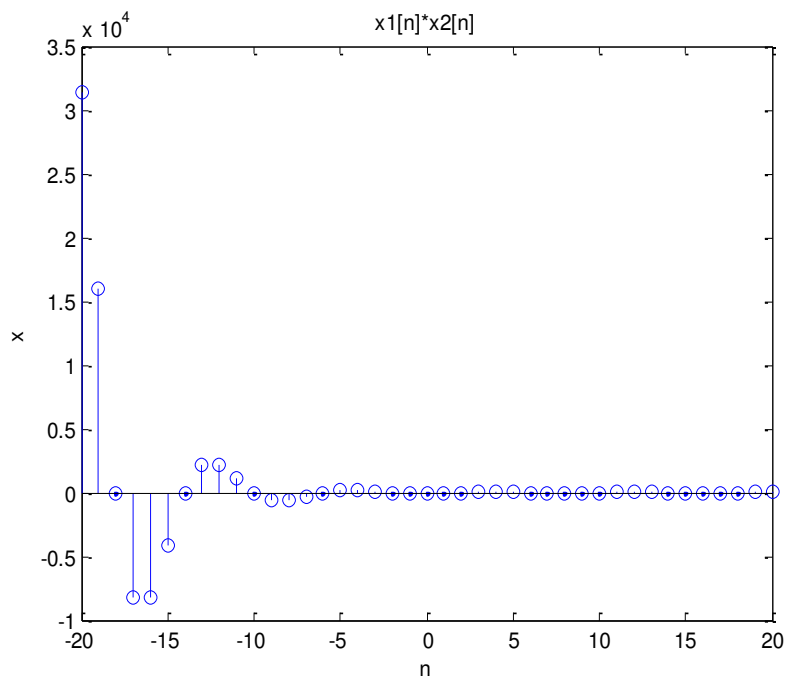
Let $x_1[n] = 5 \cos(2\pi n/8)$ and $x_2[n] = -8 e^{-(n/6)^2}$

(a) $x[n] = x_1[n] x_2[n]$

Program:-

```
n=-20:1:20
x1=5*cos((2*pi*n)/8)
x2=-8*exp((-n/6)*2)
x=x1.*x2
stem(n,x)
```

Result:-

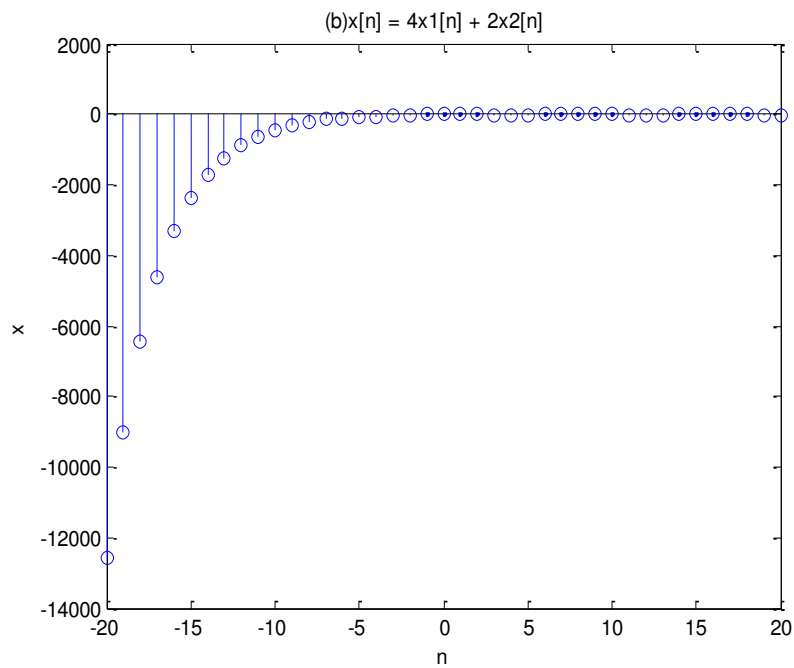


(b) $x[n] = 4x_1[n] + 2x_2[n]$

Program:-

```
n=-20:1:20
x1=5*cos((2*pi*n)/8)
x2=-8*exp((-n/6)*2)
x=4*x1+2*x2
stem(n,x)
```

Result:-

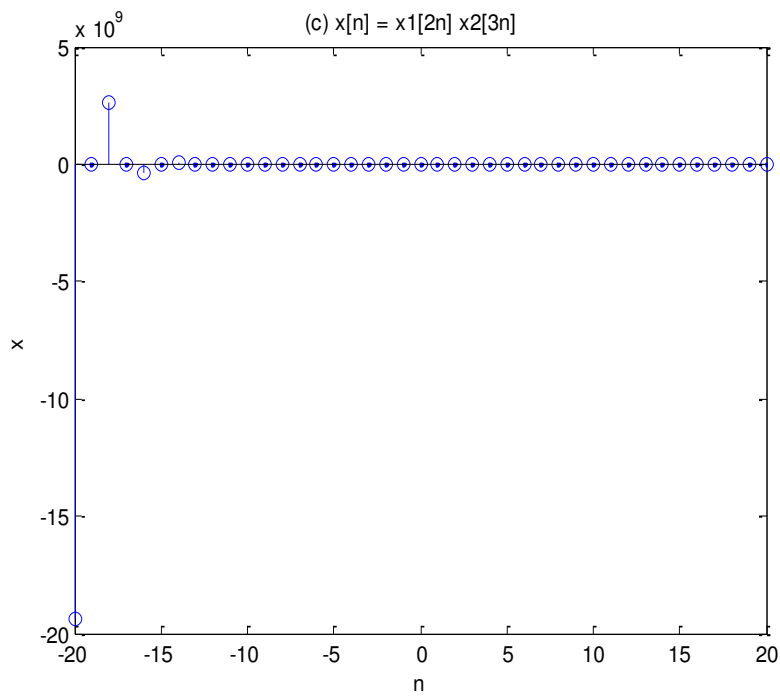


(c) $x[n] = x_1[2n] x_2[3n]$

Program:-

```
n=-20:1:20
x1=5*cos((2*pi*2*n)/8)
x2=-8*exp((-3*n/6)*2)
x=x1.*x2
stem(n,x)
```

Result:-

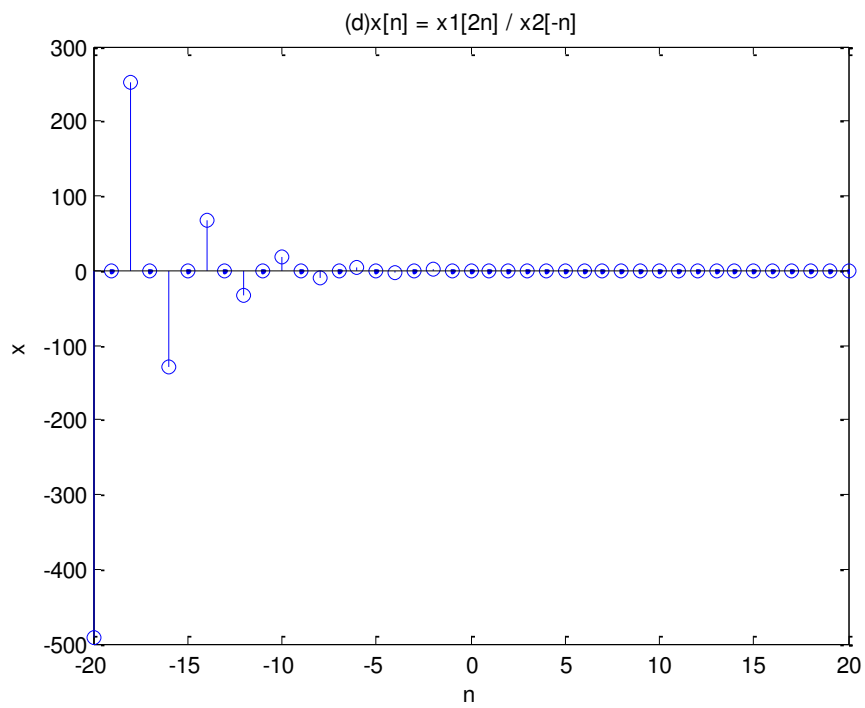


(d) $x[n] = x_1[2n] / x_2[-n]$

Program:-

```
n=-20:1:20
x1=5*cos((2*pi*2*n)/8)
x2=-8*exp((n/6)*2)
x=x1./x2
stem(n,x)
```

Result:-

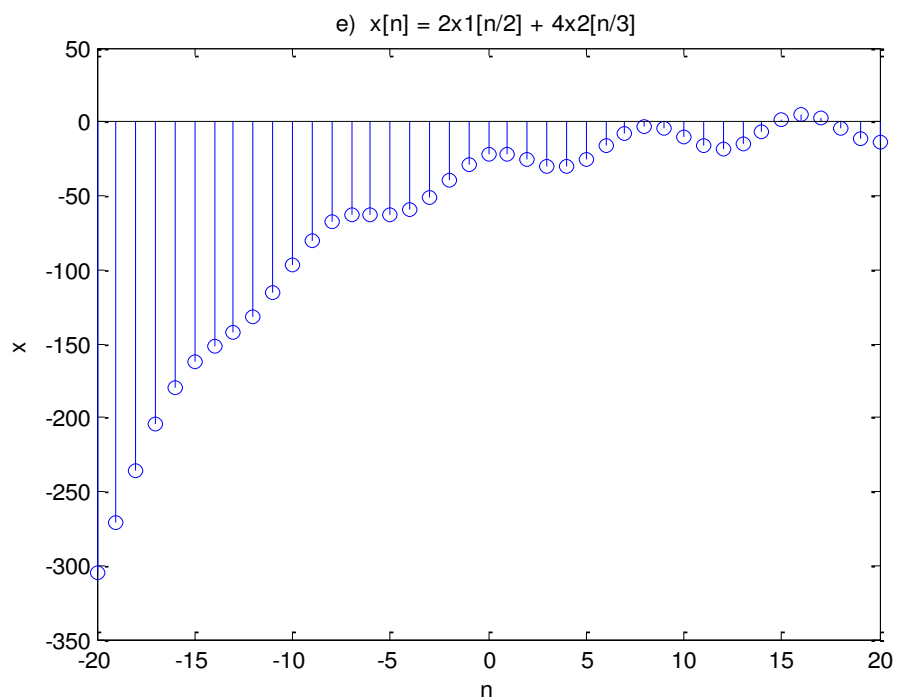


e) $x[n] = 2x_1[n/2] + 4x_2[n/3]$

Program:-

```
n=-20:1:20
x1=5*cos((2*pi*2*n)/16)
x2=-8*exp((-n/18)*2)
x=2.*x1+4.*x2
stem(n,x)
```

Result:-

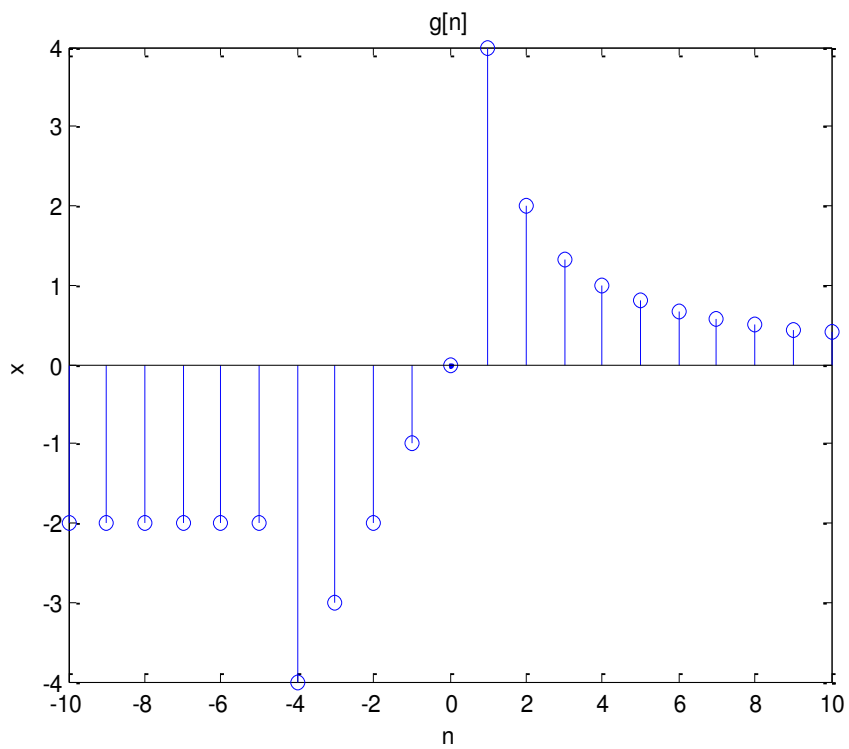


(b) Write MATLAB Codes for generating the following Sequences
Sketch $g[-n]$, $g[2-n]$, $g[2n]$ and $g[n/2]$.

Program:- $g[n]$

```
n=-10:1:10
k=n
for i=1:length(k)
if k(i)<-4
g(i)=-2
elseif (k(i)>=-4) && (k(i)<1)
g(i)=k(i)
elseif k(i)>=1
g(i)=4./k(i)
else
end
end
end
stem(n,g)
```

Result:-

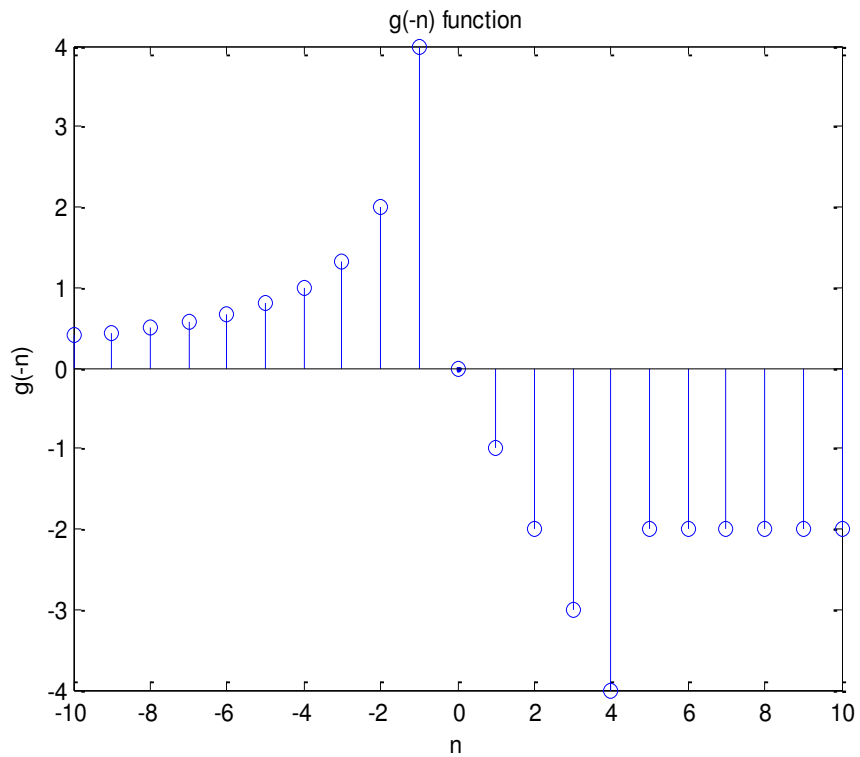


g[-n]

Program:-

```
n=-10:1:10
k=-n
for i=1:length(k)
if k(i)<-4
g(i)=-2
elseif (k(i)>=-4) && (k(i)<1)
g(i)=k(i)
elseif k(i)>=1
g(i)=4./k(i)
else
end
end
stem(n,g)
```

Result:-

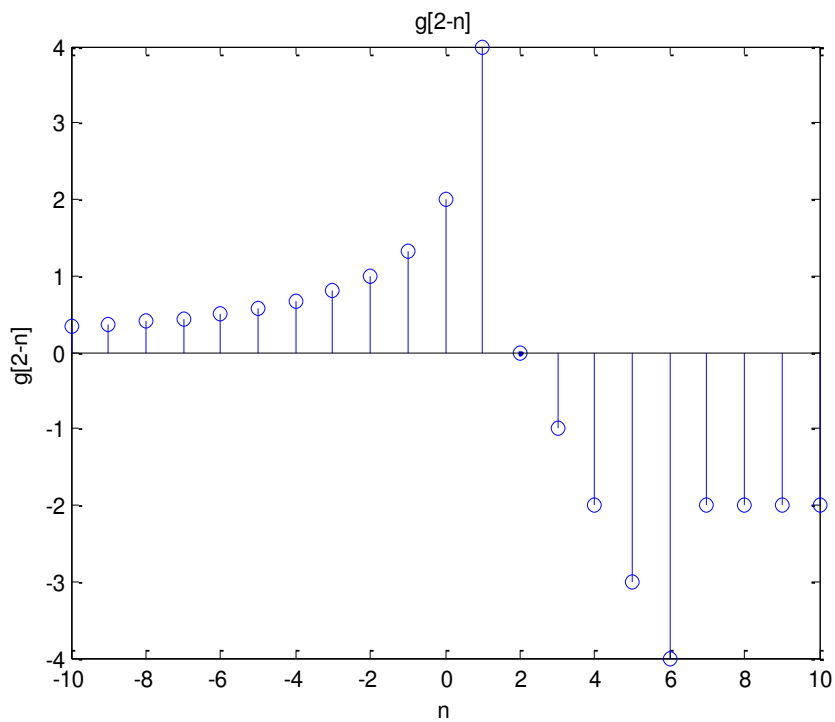


g[2-n]

Program:-

```
n=-10:1:10
k=2-n
for i=1:length(k)
if k(i)<-4
g(i)=-2
elseif (k(i)>=-4) && (k(i)<1)
g(i)=k(i)
elseif k(i)>=1
g(i)=4./k(i)
else
end
end
stem(n,g)
```

Result:-

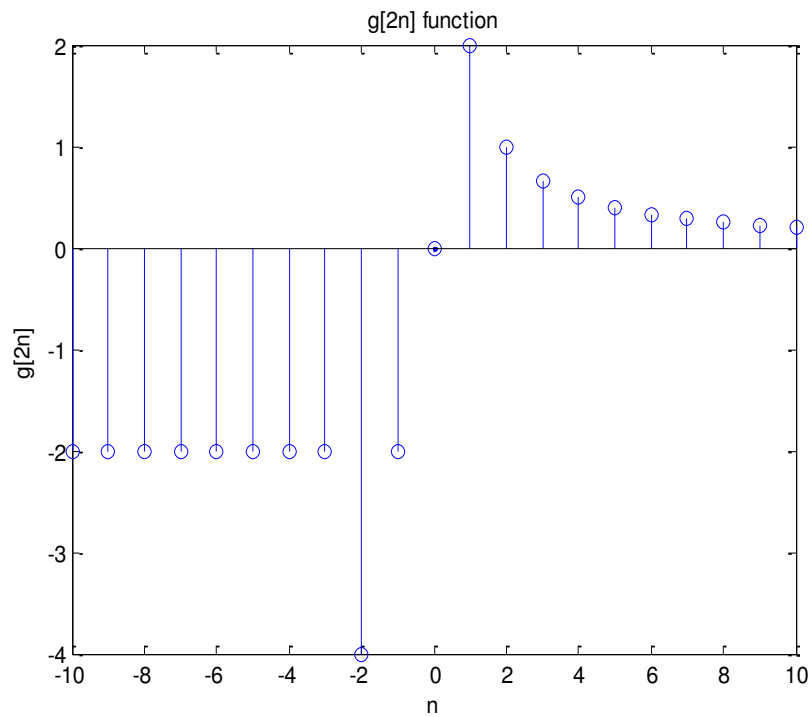


g[2n]

Program:-

```
n=-10:1:10
k=2*n
for i=1:length(k)
if k(i)<-4
g(i)=-2
elseif (k(i)>=-4) && (k(i)<1)
g(i)=k(i)
elseif k(i)>=1
g(i)=4./k(i)
else
end
end
stem(n,g)
```

Result:-

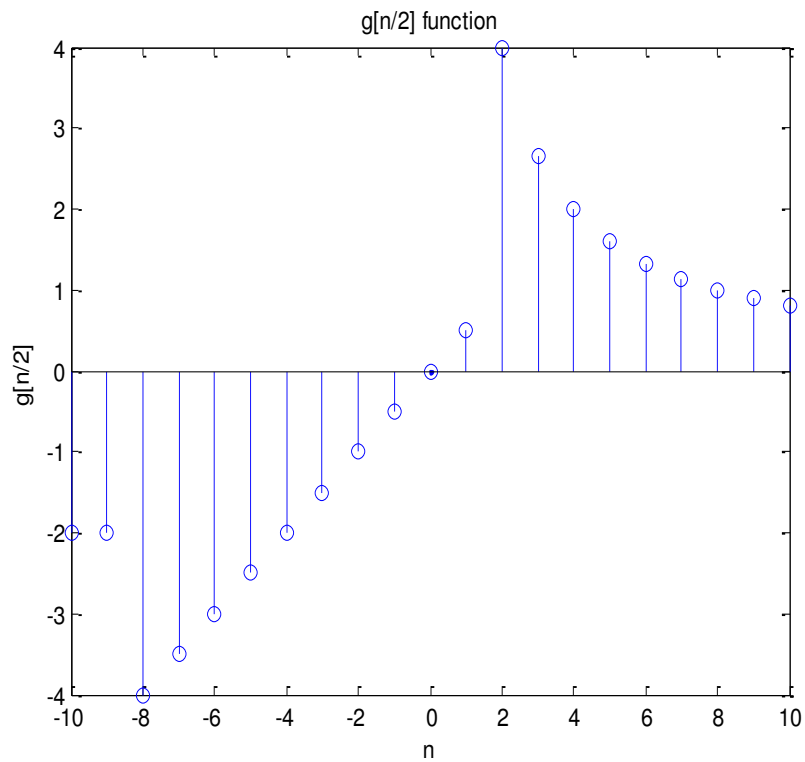


g[n/2]

Program:-

```
n=-10:1:10
k=n/2
for i=1:length(k)
if k(i)<-4
g(i)=-2
elseif (k(i)>=-4) && (k(i)<1)
g(i)=k(i)
elseif k(i)>=1
g(i)=4./k(i)
else
end
end
stem(n,g)
```

Result:-



EXPERIMENT NO:-4

Aim:- Write a program for finding the signal energy or power of the signal

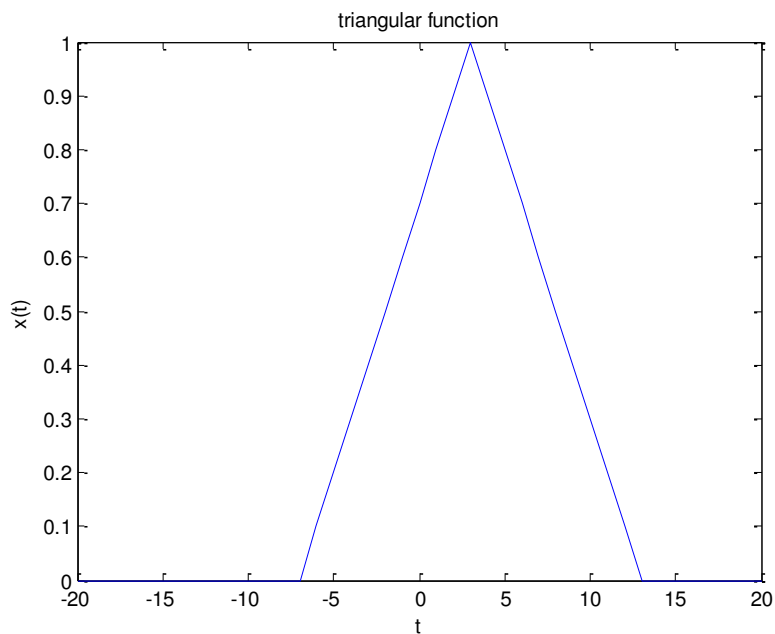
(I). $x_1(t) = \text{tri}((t-3)/10)$ where tri is a triangular signal

Program:-

```
t=-20:1:20
x=trimf(t,[-7,3,13])
plot(t,x)
title('triangular function')
xlabel('t')
ylabel('x(t)')
```

```
y=abs(x)
m=y.^2
power=trapz(m)
```

Result:-



Power=66.6700

(II).A periodic signal of fundamental period of 10 describe over one period by

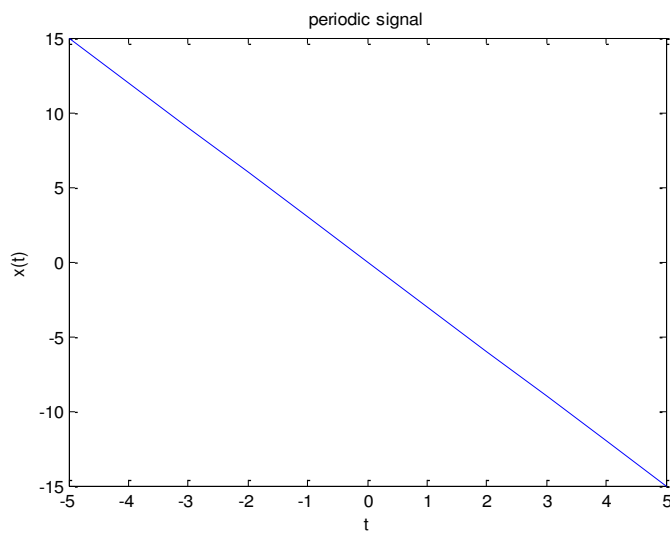
$$x_2(t) = -3*t, -5 < t < 5$$

Program:-

```
t=-5:1:5
x=-(3*t)
plot(t,x)
xlabel('t')
ylabel('x(t)')
title('periodic signal')

y=abs(x)
m=y.^2
e=-5:1:5
r=trapz(e,m)
Energy=r/10
```

Result:-



Energy=76.500

EXPERIMENT NO:-5

Aim:- Write a program to calculate the convolution sum of two discrete time signals which involves folding, shifting, multiplication and summation. Also plot the output signal. Verify your result using 'conv' command.

(I). $x[n] = [-2 \ 0 \ 1 \ -1 \ 3]$ and $h[n] = [1 \ 2 \ 0 \ -1]$

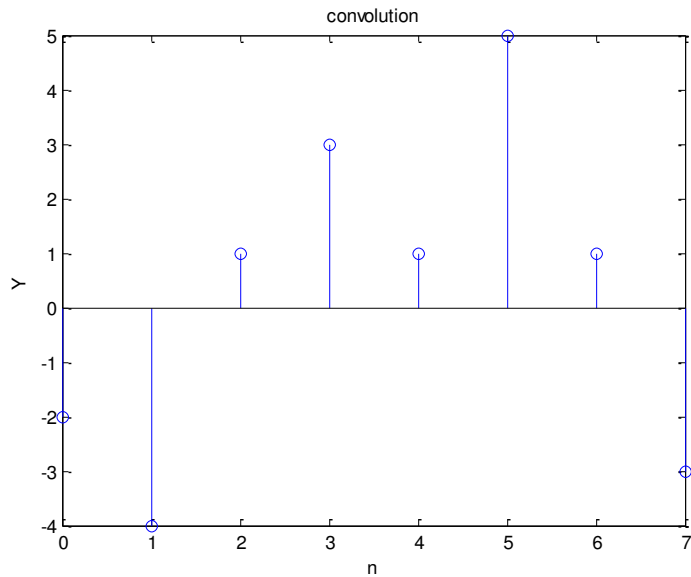
Program:-

```
x=[-2,0,1,-1,3];  
h=[1,2,0,-1];  
y=conv(x,h);  
stem(y)
```

OR

```
x=[-2 0 1 -1 3];  
h=[1 2 0 -1];  
N=length(x)-1  
M = length(h)-1  
for n=0:M+N,  
Y(n+1)=0;  
for k=0:M,  
x_index = n-k;  
if (and(x_index >= 0, x_index <= N))  
Y(n+1) = h(k+1)*x(x_index+1) + Y(n+1);  
end  
end  
end  
n=0:N+M;  
stem(n,Y);
```

Result:-



(II) $x[n] = u[n]$ and $h[n] = e^{-an} u[n]$.

Proram:-

```

n=0:1:10;
h=[ones(1,10)];
x=exp(-n1.*2);
N=length(x)-1
M = length(h)-1
Y(n+1)=0;
for k=0:M,
x_index = n-k;
if (and(x_index >= 0, x_index <= N))
Y(n+1) = h(k+1)*x(x_index+1) + Y(n+1);
end
end
end
disp(Y);
y=conv(x,h);
disp(y);
n=0:N+M;
stem(n,Y);

```


EXPERIMENT NO-6

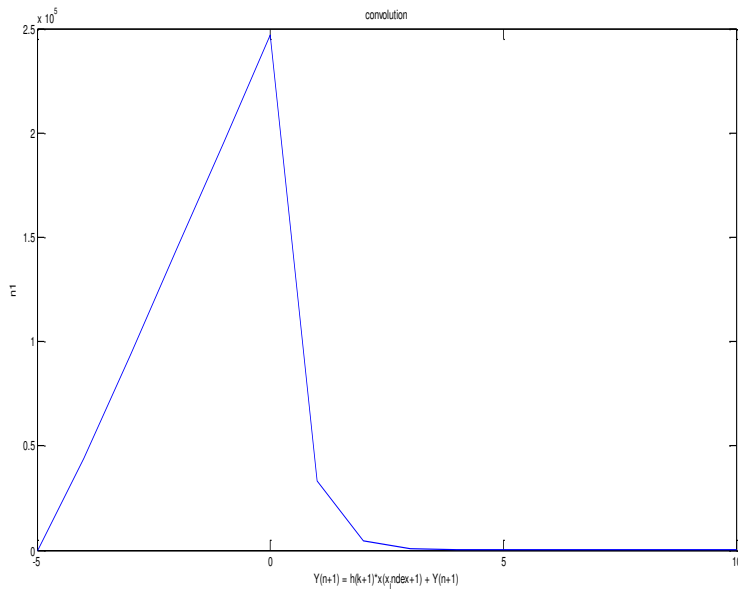
Aim:- Write a program to calculate the convolution integral of two continuous time signals which involves folding, shifting, multiplication and integration. Also plot the output signal.

(I) $x[t] = 2t.u(t)$ and $h[t] = e^{-2t}$

%convolution using the mathematical formula for convolution that includes folding, shifting , multiplication , summation

Program:-

```
t1=-5:1:-1;
t2=0:1:5;
t=[t1 t2];
h=2*t2;
x=exp(-t.*2);
N=length(x)-1;
M = length(h)-1
for n=0:M+N,
Y(n+1)=0;
for k=0:M,
x_index = n-k;
if (and(x_index >= 0, x_index <= N))
Y(n+1) = h(k+1)*x(x_index+1) + Y(n+1)
end
end
end
n=0:N+M;
stem(n,Y);
n1=(n-5);
plot(n1,Y);
```



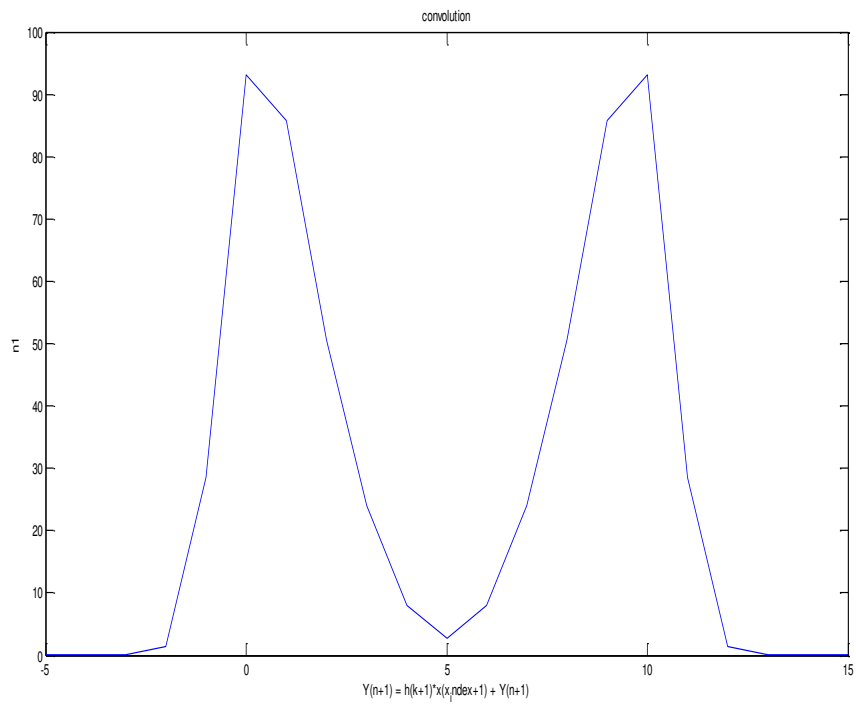
(II) $x[t] = \exp(-t^2)$ and $h[t] = 3t^2$.

Program:-

```

t1=-5:1:-1;
t2=0:1:5;
t=[t1 t2];
h=3*t.^2;
x=exp(-t.^2);
N=length(x)-1;
M = length(h)-1
for n=0:M+N,
Y(n+1)=0;
for k=0:M,
x_index = n-k;
if (and(x_index >= 0, x_index <= N))
Y(n+1) = h(k+1)*x(x_index+1) + Y(n+1);
end
end
end
n=0:N+M;
stem(n,Y);
n1=(n-5);
plot(n1,Y);

```



EXPERIMENT NO:-7

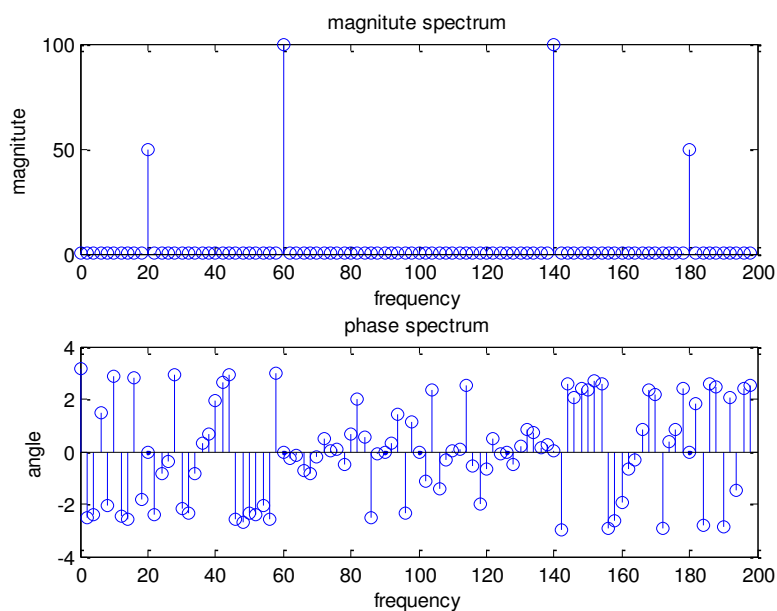
Aim:-Write a program to evaluate Fourier Transform of $x(t) = 2\sin(2\pi \cdot 50 \cdot t) + 3\sin(2\pi \cdot 120 \cdot t)$; numerically and using the DFT. Plot the signal and its magnitude & phase over the frequency range $-20 < f < 20$.

Program:-

```
clc;
N=0:99;
fs=200;
Ts=1/fs;
x = 2*sin (2*pi*50*t) + 3*sin (2*pi*120*t);
X=fft(x);
m=0:length(X)-1;
subplot(2,1,1)
stem(m*fs/length(X),abs(X));
title('magnitude spectrum')
xlabel('frequency')
ylabel('magnitude')

subplot(2,1,2)
stem(m*fs/length(X),angle(X));
title ('phase spectrum')
xlabel('frequency')
ylabel('angle')
```

Result:-



EXPERIMENT NO:-8

Aim:- Write a program to evaluate the Laplace Transform of continuous time signal $x(t)$ and $h(t)$.
Finding the ROC of the transform.

a). $x[t] = 2t.u(t)$

Program:-

```
clc
syms t:
x=2*t*heaviside(t);
k=laplace(x);
```

Result:-

$$2/s^2$$

b). $h[t] = e^{-2t}$

Program:- clc

```
syms t:
h=exp(-2*t);
k=laplace(h);
```

Result:-

$$1/(s+2)$$

EXPERIMENT NO:-9

Aim:- Write a program to evaluate the Z-Transform of a discrete-time signal $x(n)$ and $h(n)$. Also Find ROC of the transform. Check stability of the system using .

a). $x[n] = u[n]$

Program: syms n z a;
 x=heaviside(n)
 ztrans(x,z)

Result:-

$$1/(z - 1) + 1/2$$

b). $h[n] = e^{-an} u[n]$.

Program:- syms n z a;
 x=exp(-a*n)*heaviside(n)
 ztrans(x,z)

Result:-

$$1/(z \cdot \exp(a) - 1) + 1/2$$